## Some details on Problem 4.81

For this problem, we can think about the random phenomenon as the company selling an insurance policy to a 25 year old male. The random variable we are considering is the profit made by the company on each policy. The profit is the difference between the premiums paid by the policy holder and the benefits paid out by the company. Details are given in this table:

| Event | Premiums received | Benefit paid | Profit | Probability |
| :---: | :---: | :---: | :---: | :---: |
| Policy holder dies at 25 | $\$ 175$ | $\$ 100,000$ | $-\$ 99,825$ | 0.00039 |
| Policy holder dies at 26 | $\$ 350$ | $\$ 100,000$ | $-\$ 99,650$ | 0.00044 |
| Policy holder dies at 27 | $\$ 525$ | $\$ 100,000$ | $-\$ 99,475$ | 0.00051 |
| Policy holder dies at 28 | $\$ 700$ | $\$ 100,000$ | $-\$ 99,300$ | 0.00057 |
| Policy holder dies at 29 | $\$ 875$ | $\$ 100,000$ | $-\$ 99,125$ | 0.00060 |
| Policy holder lives beyond 29 | $\$ 875$ | $\$ 0$ | $\$ 875$ | 0.99749 |

Notice that the profit is negative for the first 5 possibilities. However, these have small probabilities so the company might be okay over the long run in selling many policies of this type. To check, we compute the mean profit:

$$
\begin{aligned}
\mu_{\text {Profit }}= & (-\$ 99,825)(0.00039)+(-\$ 99,650)(0.00044)+(-\$ 99,475)(0.00051)+ \\
& \quad(-\$ 99,300)(0.00057)+(-\$ 99,125)(0.00060)+(\$ 875)(0.99749) \\
= & \$ 623.22
\end{aligned}
$$

